

# Open charm measurement in p+p $\sqrt{s} = 200$ GeV collisions at STAR

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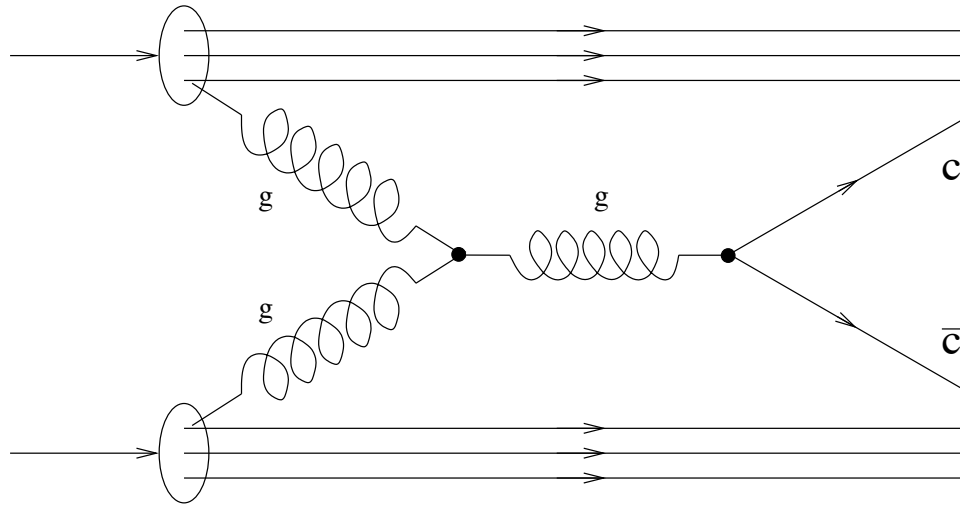
NPI ASCR

FNSPE CTU Prague

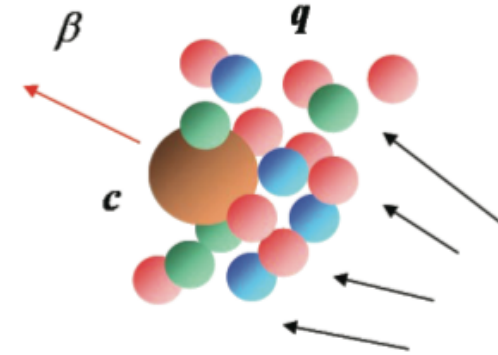
for STAR collaboration



# Charm production and Mass



- »  $gg \rightarrow c\bar{c}$  dominates at initial hard collisions
- » good pQCD test at RHIC
- »  $m_c (\sim 1.5 \text{ GeV}) \gg \Lambda_{\text{QCD}} (\sim 200 \text{ MeV})$ : can be evaluated by perturbative QCD  
<http://arxiv.org/abs/nucl-ex/0407006v5>
- » mass given by Electroweak SSB
- » QCD chiral symmetry breaking doesn't affect charm quark mass  
X. Zhu, *et al*, Phys. Lett. **B647**, 366(2007).



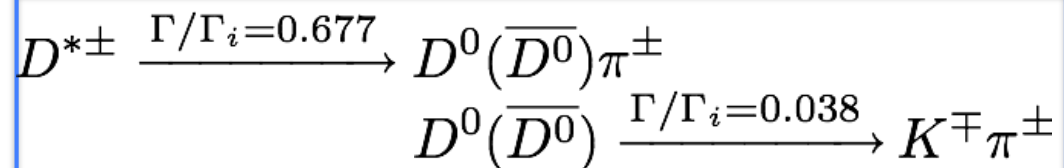
- » in gluon radiative energy loss mechanism, charm quarks suffer less energy loss while traversing through partonic matter (**dead cone eff.**) D. Kharzeev et al., Phys. Lett. B 519, 199(2001)
- » collective motion or thermalization only if interactions at the partonic level occur at high frequency (excellent probe of QGP)
- » cross sec. in AA scaled with  $N_{\text{bin}}$

# Open Charm measurement

$$\sigma_{c\bar{c}} = \frac{dN_{D^0}^{pp}}{dy} \cdot \sigma_{\text{inel.}}^{pp} \cdot \frac{f(\text{mid } y \rightarrow \text{full } y)}{f(c \rightarrow D^0)}$$

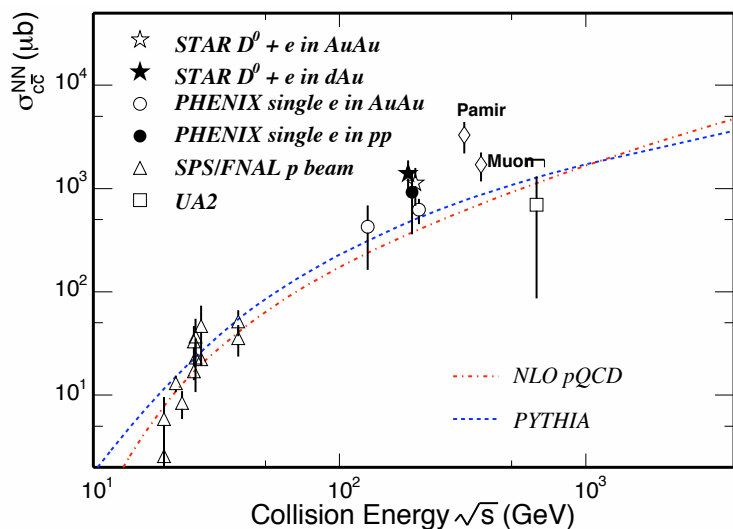
$$f(\text{mid } y \rightarrow \text{full } y) = 4.7 \quad \text{Pythia}$$

$$f(c \rightarrow D^0) = 0.56 \quad \text{PDG}$$

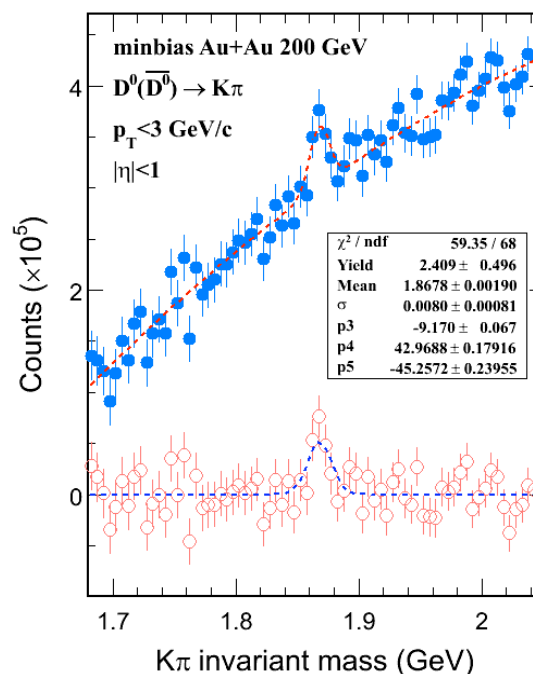


$\frac{dN_{D^0}^{pp}}{dy}$  obtained from  $K\pi$  pair  
 $dy$  invariant mass subtracted by combinatorial background

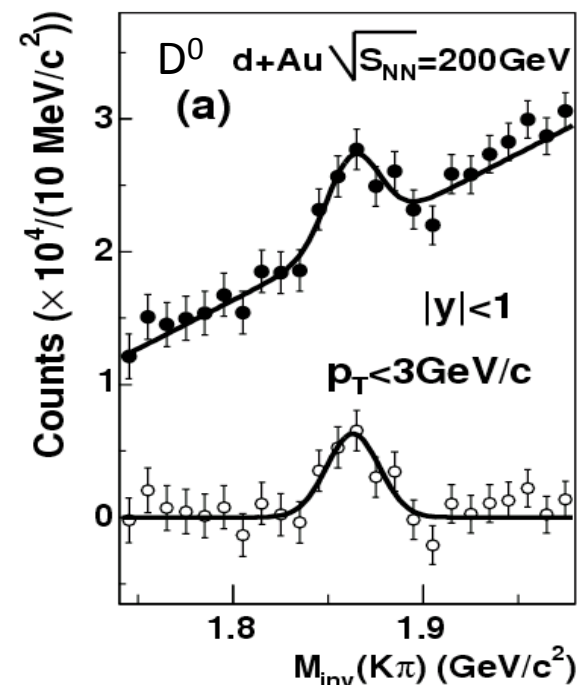
We hadn't obtained direct  $D^0$  signal from p+p collisions yet



Phys.Rev.Lett.94:062301,2005



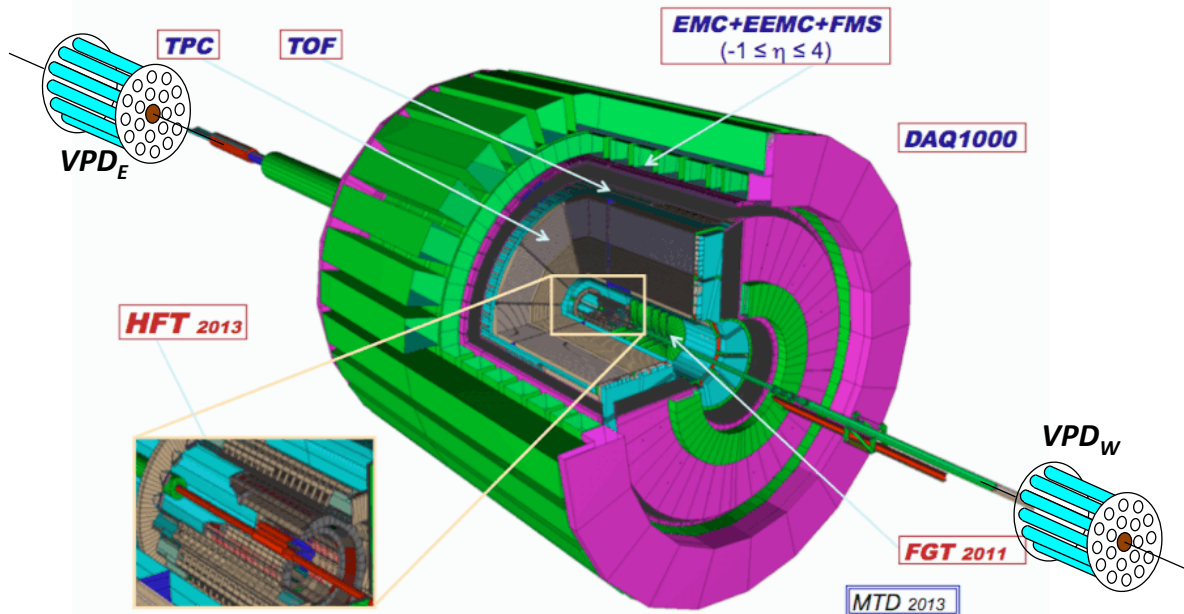
arXiv:0805.0364v2



PRL. 94 (2005) 62301

# The STAR detector and PID

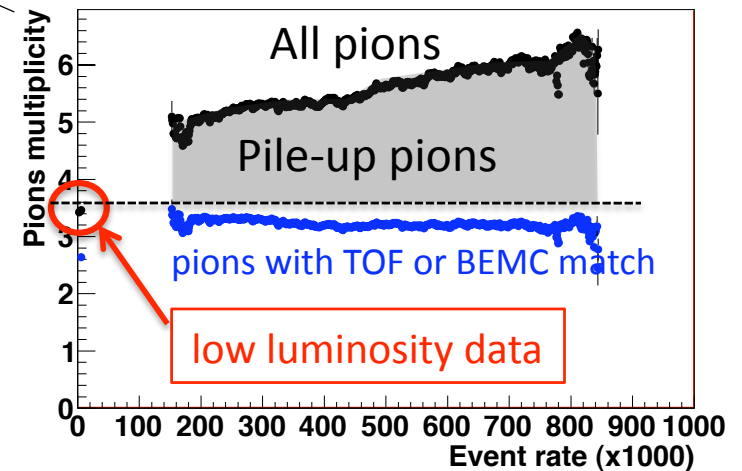
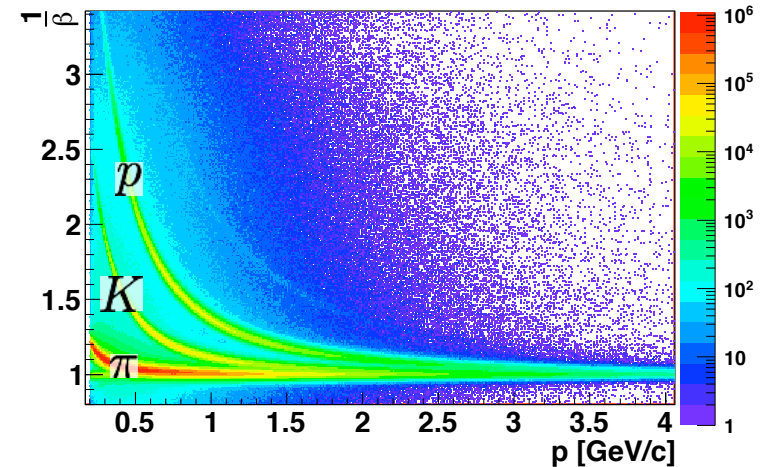
Large acceptance:  $|\eta| < 1, 0 < \phi < 2\pi$



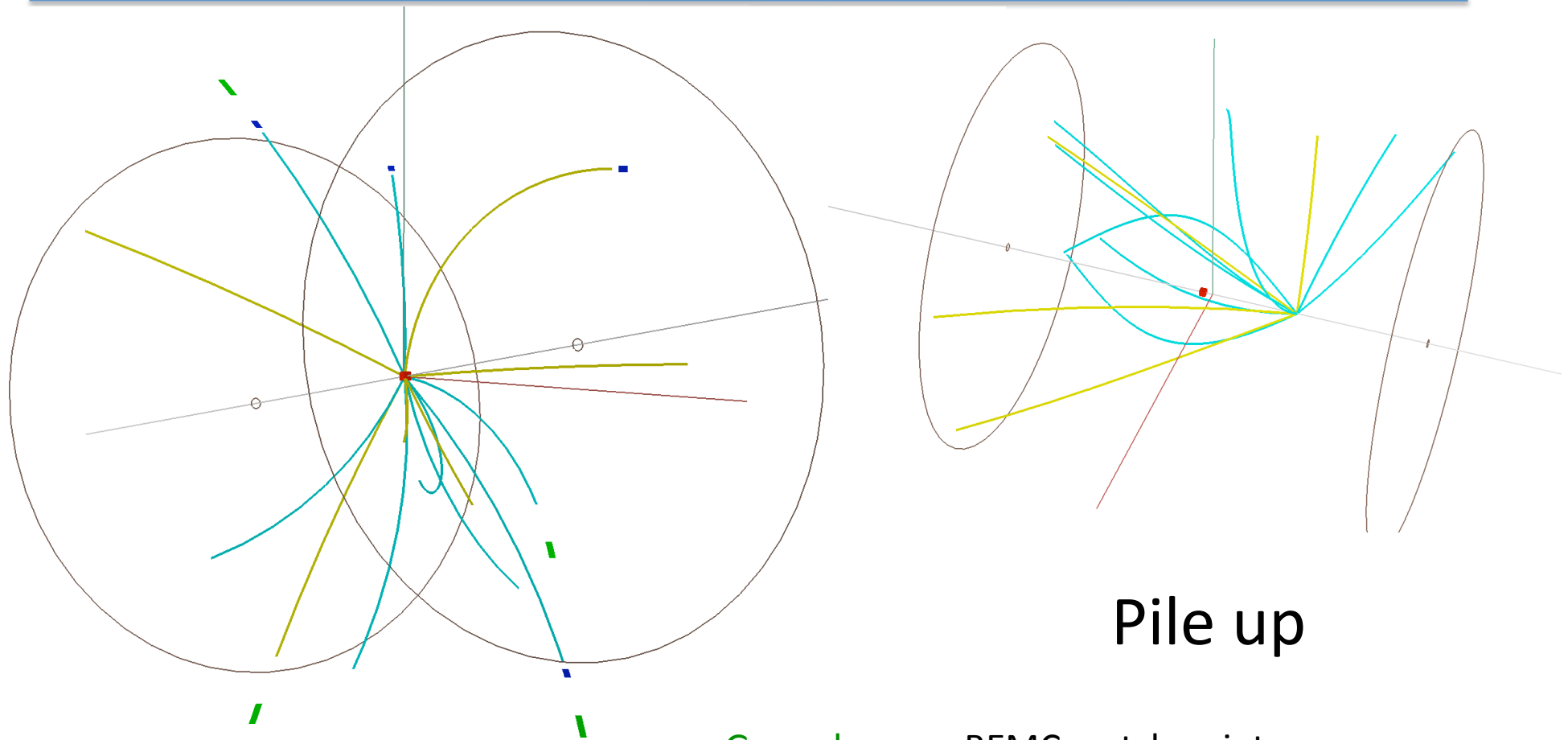
- VPD EW coincidence: minbias trigger, TOF start time
- TPC : PID, tracking ( $dE/dx, \vec{p}$ )
- TOF : PID ( $\beta$ , time resolution = 110 ps)
- BEMC : remove pile-up tracks,  $E_T$  triggers

Run 9 p+p 200 GeV 107.7 M minbias events

- TPC  $dE/dx$  vs  $p$  : pions PID
- TOF  $1/\beta$  vs  $p$  : kaons PID



# Event Display

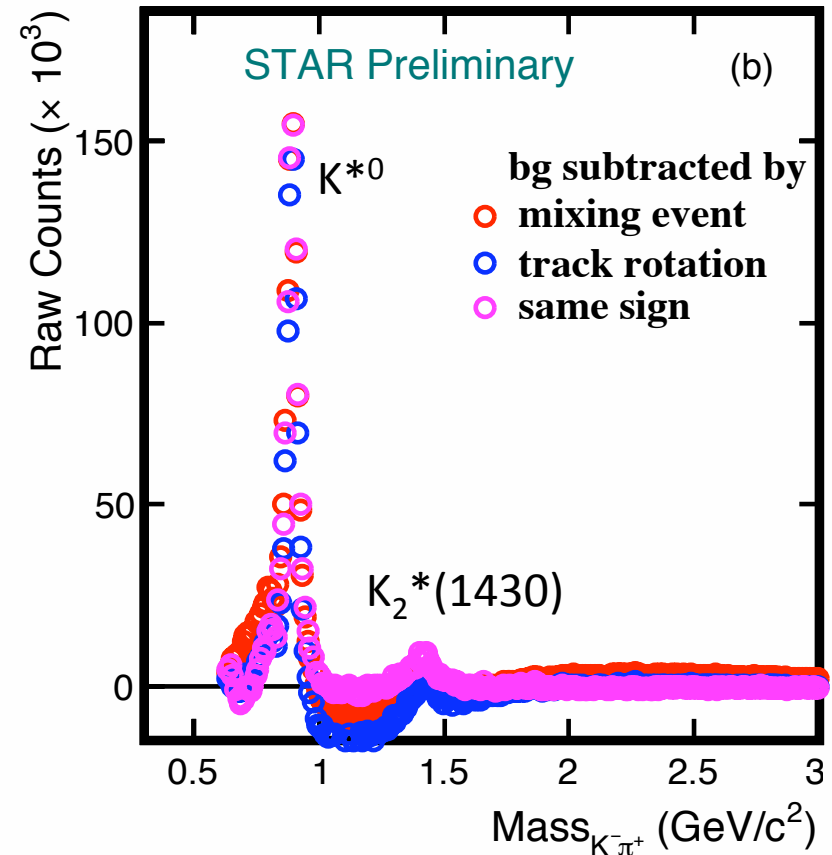
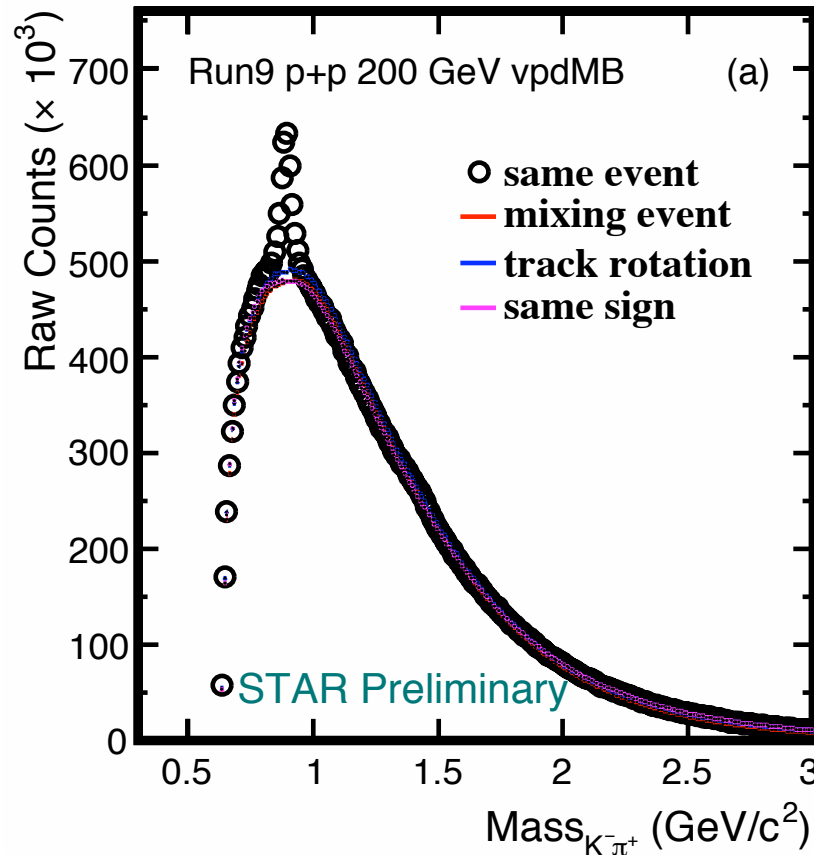


Good event

Pile up

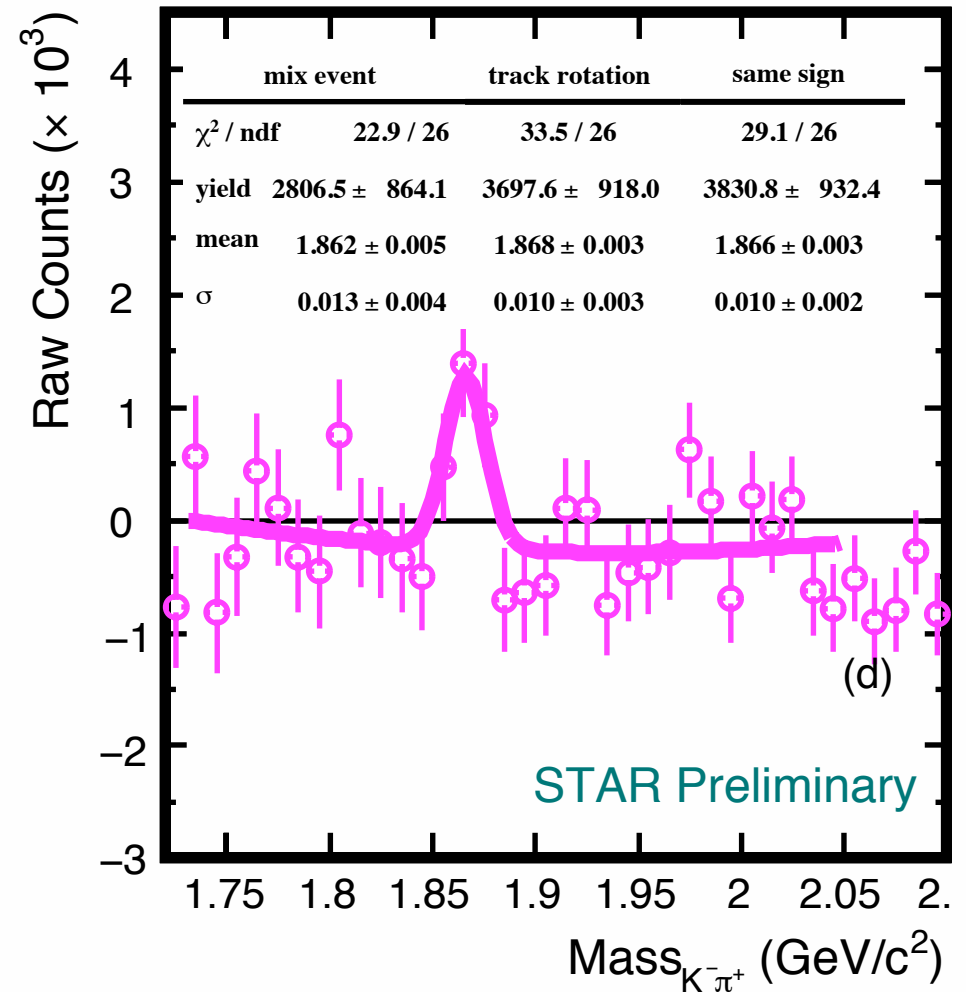
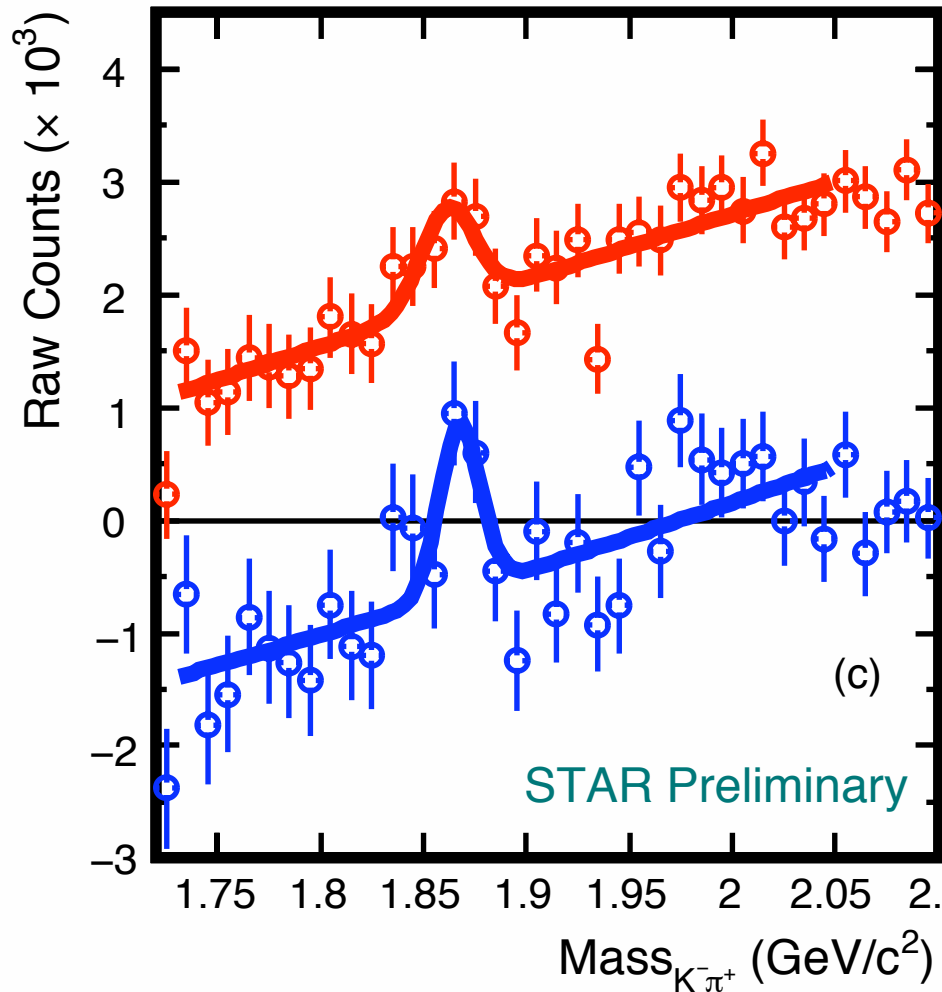
- Green boxes – BEMC match points
- Blue boxes – TOF match points
- Red box – z-position of the vertex from VPD

# Invariant mass of all $K,\pi$ pairs



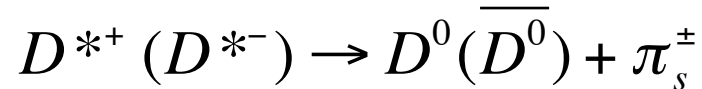
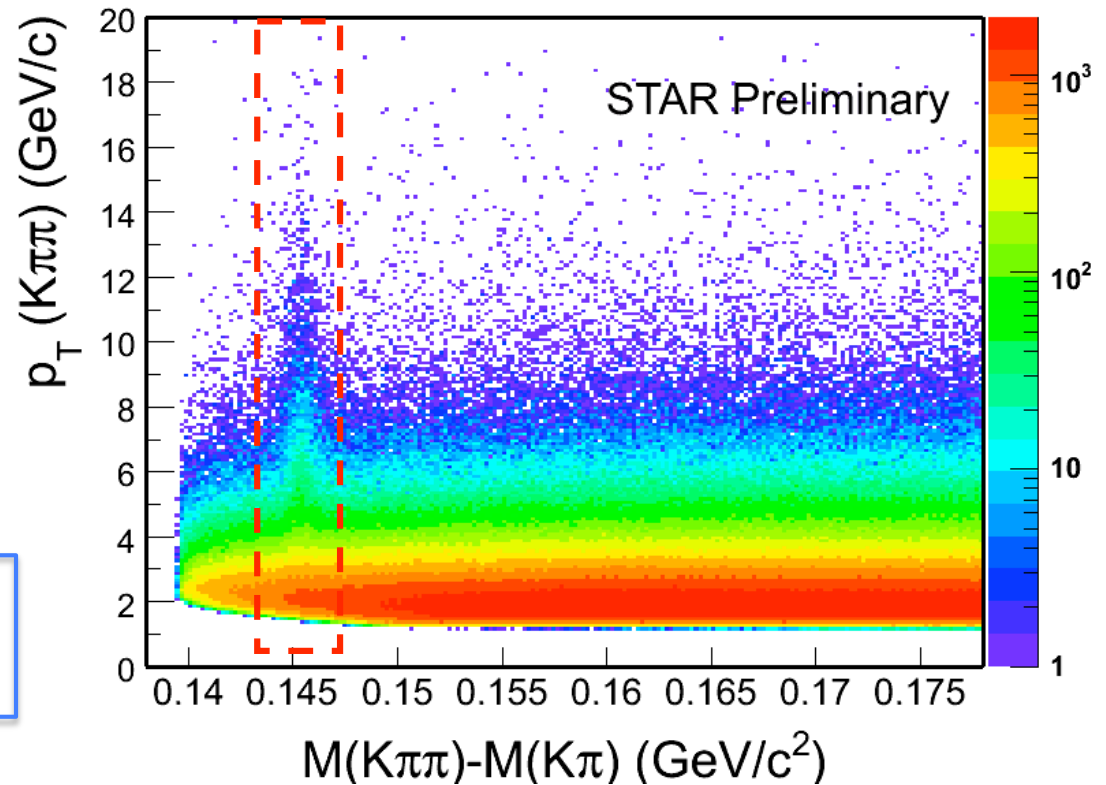
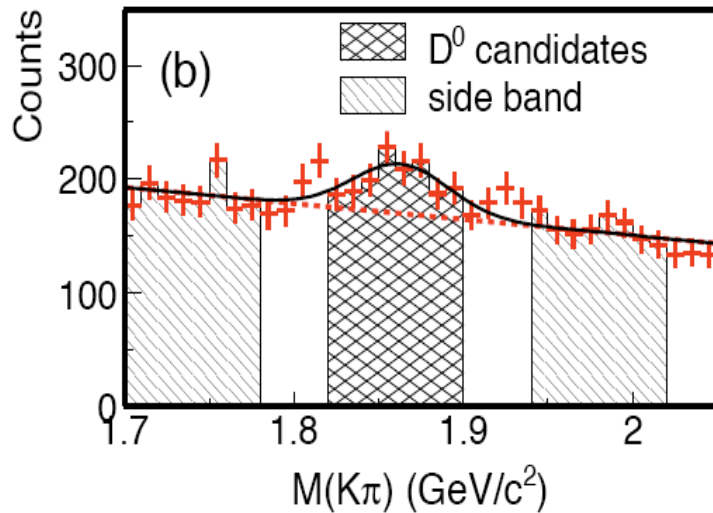
- **Mixed event:** A pion from an event is paired with all kaons in buffer events. Event buffer is filled randomly (within the z-vertex window)
- **Rotated kaon momentum:** Each pion is paired with kaon with reversed 3-momenta
- **Like Sign:** pions are paired with same charged kaons (within current event only). The geometric mean is calculated by  $2\sqrt{N_{\pi^+K^+}N_{\pi^-K^-}}$

# D<sup>0</sup> reconstruction



Zoom in mass window (1.72 – 2.1 GeV/ $c^2$ )  
 $\sim 4\sigma$  signal observed.

# D\* reconstruction



Background combinations:

**Wrong sign:**

$D^0$  and  $\pi^-$ ,  $\overline{D}^0$  and  $\pi^+$

**Side band:**

$1.72 < M(K\pi) < 1.80$  or

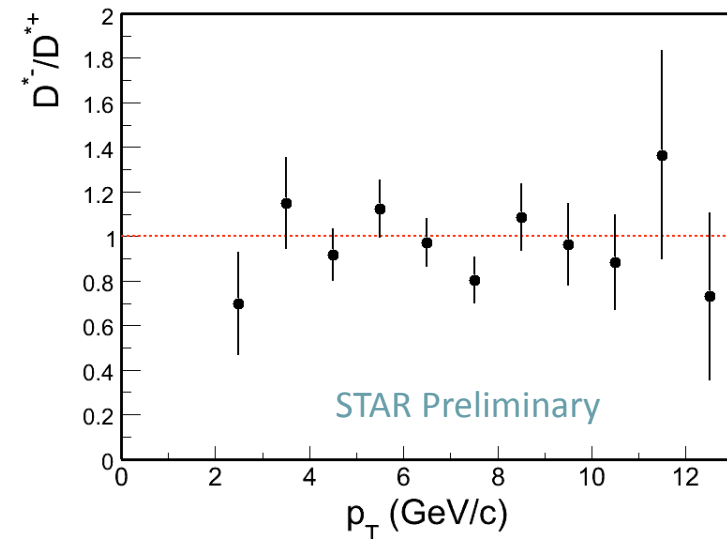
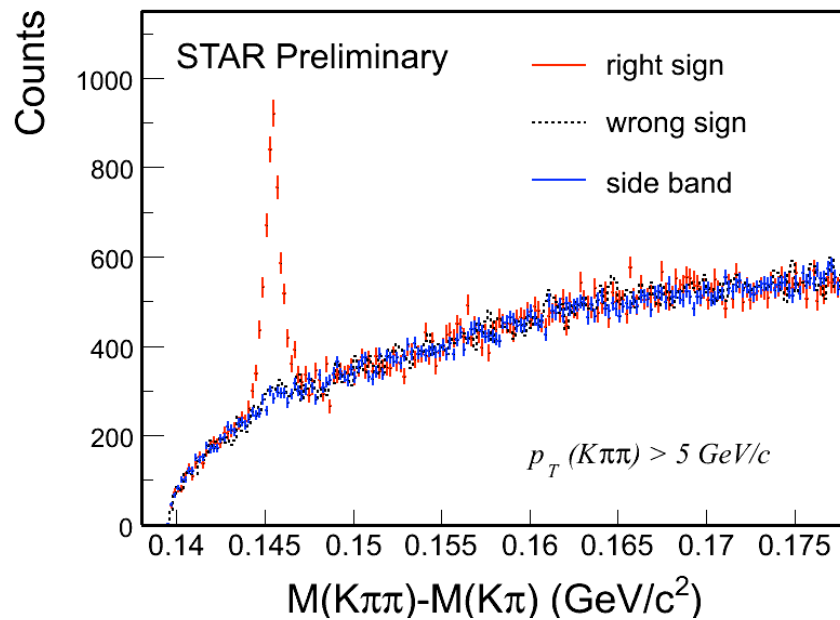
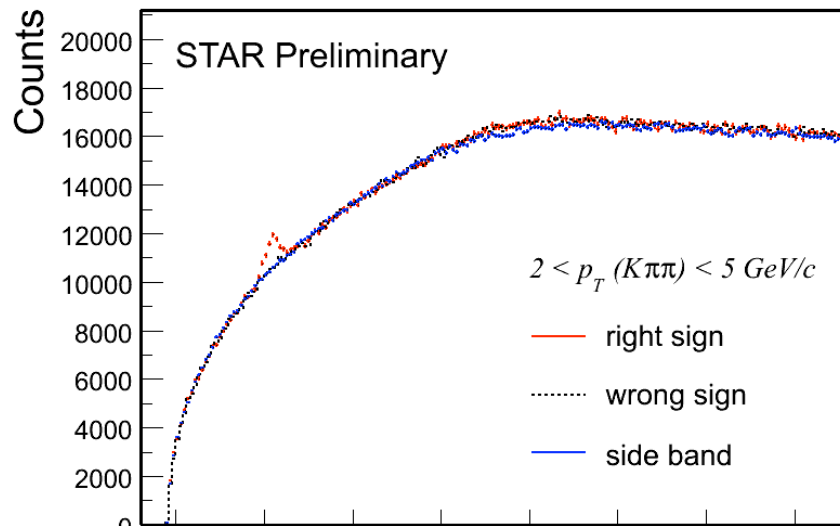
$1.92 < M(K\pi) < 2.0$  GeV/c<sup>2</sup>

All triggers included.

More than  $4\sigma$  signal at low  $p_T$  and very significant at high  $p_T$  - mostly from EMC-based high neutral energy triggers.



# D\* reconstruction



No significant charge asymmetry is observed

All triggers included.

More than  $4\sigma$  signal at low  $p_T$  and very significant at high  $p_T$  - mostly from EMC-based high neutral energy triggers.

Wrong sign and side-band method reproduce background well.

# Summary and outlook

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- $4\sigma$  raw  $D^0$  signal observed in p+p 200 GeV collisions
- more significant  $D^*$  signal at high  $p_T$  is observed
- excellent method to constrain charm cross section
- Cross section is coming soon!

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Backup slides

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# How to extract charm cross section from D0 raw yield

$$\sigma_{c\bar{c}}^{NN} = f \cdot \frac{d\sigma_{c\bar{c}}^{NN}}{dy} = f \cdot \frac{N_{c\bar{c}}}{N_{D^0}} \sigma_{\text{inel.}}^{pp} \cdot \epsilon_{\text{trig.}} \int_{p_{\perp}} \frac{d^2 N}{dp_{\perp} dy} dp_{\perp}$$

$$\frac{d^2 N}{p_{\perp} dp_{\perp} dy} = \frac{S(p_{\perp}, dp_{\perp})}{N_0 \frac{\Gamma_i}{\Gamma} \epsilon(p_{\perp}, dp_{\perp})} \frac{1}{p_{\perp} dp_{\perp} dy}$$

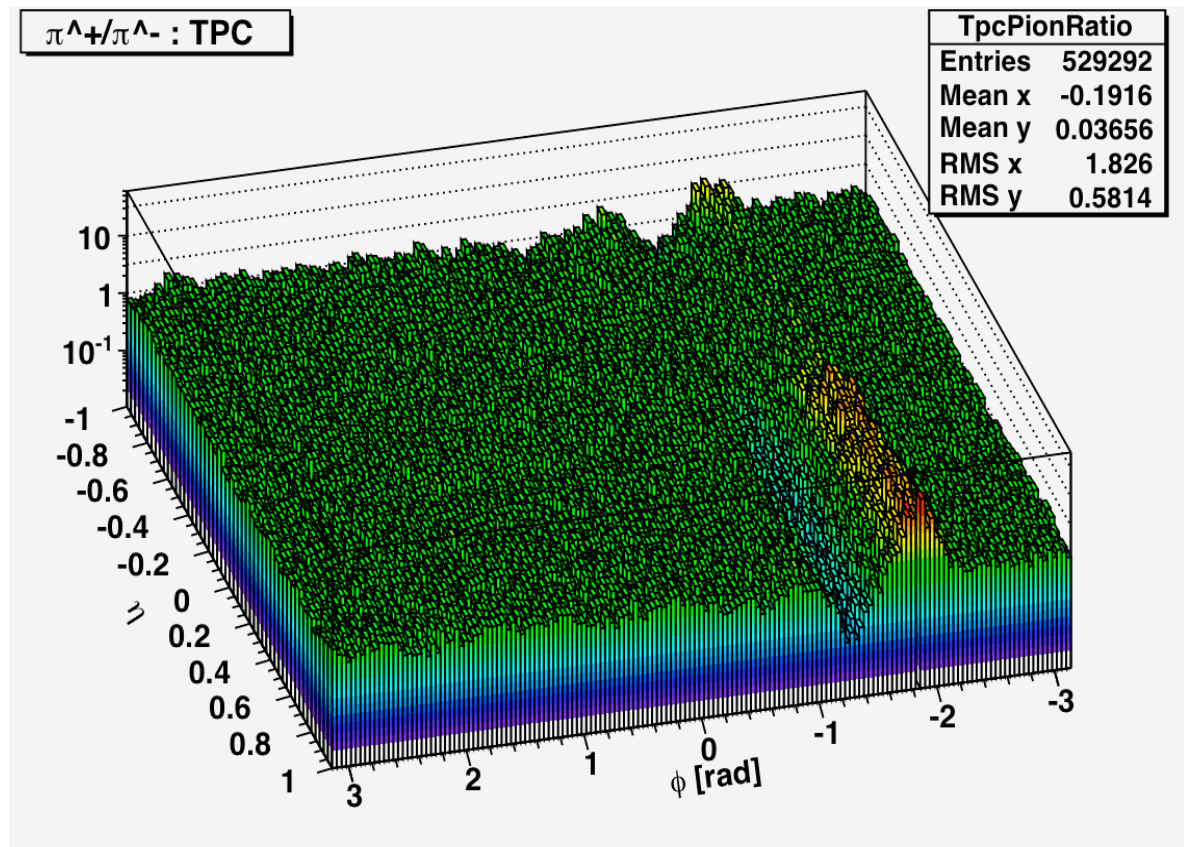
Embedding

$$\frac{dN}{dp_{\perp}} = 4 \frac{(n-1)(n-2)}{\langle p_{\perp} \rangle^2 (n-3)^2} \left( 1 + \frac{2p_{\perp}}{\langle p_{\perp} \rangle (n-3)} \right)^{-n} p_{\perp}$$

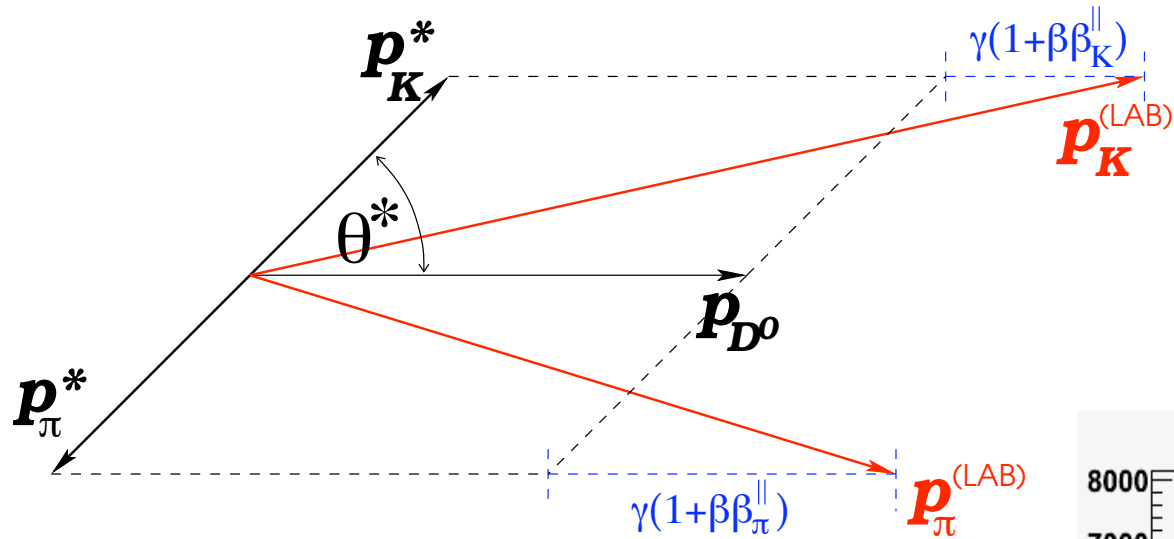
power law

# Track selection

- primary tracks
- $0 < \text{flag} < 1000$ ,
- $n\text{HitsFit} > 15$ ,
- $n\text{HitsFit}/n\text{Max} > 0.52$
- $|\text{dca}| < 2 \text{ cm}$
- $p_T > 0.2$
- $|\text{Eta}| < 1$
- remove tracks with first or last point in TPC sectors 5,6 and 20 for FullField data
- **Bemc or TOF match**



$$\cos(\theta^*) < 0.8$$



In higher  $p_T$ , jets are important contribution to combinatorial background.

